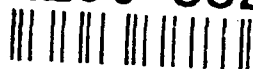


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TECHNICAL REPORT
NATICK/TR-92/009

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SELECTION OF OPENING MODEL FOR PARACHUTE SCALING STUDIES

By
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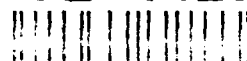
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13. ABSTRACT (Maximum 200 words) This report consists of a summary of work to program an existing parachute opening dynamics theory for use with research into the scaling laws governing relationships between model and full-scale parachutes during the opening phase. The theory forms a basis to which modifications can be made to predict the opening dynamics of small-scale models. The object is eventually to be able to predict canopy stiffness effects on opening behavior.				
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Preface

This report was prepared by the University of Lowell as part of IPA Research Project No. 05-5179. The work described in this report was performed between January 1 and June 30, 1990.

The work accomplished under this contract was sponsored by the US Army Natick Research, Development and Engineering Center, Aero-Mechanical Engineering Directorate, Engineering Technology Division. Dr. Earl C. Steeves was the project supervisor.

List of Symbols

Symbol	Fortran Symbol	Explanation
c_f	CF	Elasticity constant of a top cord
C_{eff}	CEF	Effective porosity
C_D	CD	Resistance coefficient of the parachute, referred to the projected area
C_{DL}	CDL	Resistance coefficient of the payload
d	DS	Damping constant of a top cord
D_0	DO	Nominal diameter of the parachute
D_C	DC	Construction diameter of the parachute
D	D	Resistance of air of the parachute
D_L	DL	Resistance of air of the payload
D_z	DZ	Damping constant ($D_z = ndD_0/m_L v_s$)
F	F	Filling force
F_s	FS	Deployment shock force
Fr	FR	Froude number ($Fr = V_s^2/gD_0$)
F_z	FZ	Elasticity coefficient ($F_z = nc_f D_0^2/m_L v_s^2$)
g	G	Acceleration of gravity
h	H	Lateral length of the truncated cone
h_{st}	HST	Lateral length of the truncated cone in the stationary state
k_1	XK1	Contraction factor for the first filling phase
k_2	XK2	Contraction factor for the second filling phase
l	XL	Length of a top cord under load

List of Symbols (Continued)

Symbol	Fortran Symbol	Explanation
l_s	XLS	Length of a top cord without load
m_a	XMA	Apparent mass
m_C	XMC	Mass of the parachute canopy
m_L	XML	Mass of the payload
m_S	XMS	Mass of the parachute canopy including apparent mass
m_T	XMT	Total mass of the system
n	XN	Number of top cords
r	R	Radius of the sphere
r_{st}	RST	Radius of the sphere in the stationary state
R	RP	Radius of the payload
R_v	RV	Radius of the apex aperture
s	S	Distance between the assumed centers of mass of the payload and parachute
t	T	Time
t_f	TF	Filling time
u	U	Mean speed of air flowing out through the porous fabric
v_C, v_L	VC, VL	Velocity of the parachute canopy and of payload
v_{Ct}, v_{Cn}	VCT, VCN	Velocity component of the parachute canopy in tangential and normal direction
v_s	VS	Velocity of the payload in the deployment shock

List of Symbols (Continued)

Symbol	Fortran Symbol	Explanation
V	V	Volume of air trapped in the canopy
V_{st}	VST	Volume of air trapped in the canopy in the stationary state
w_t	RW	Relative velocity of the canopy against the payload in tangential direction
W_L	WL	Weight of the payload
W_T	WT	Total weight
X	-	"Wrap-around length" of canopy in first filling phase
Z	Z	Altitude
α_c, α_L	-	Angle of attack of canopy and payload
β	B	Semi-apertural angle of the top cords
β_{st}	BST	Semi-apertural angle of the top cords at the time of first full inflation
θ	TH	Angle of pitch (angle between the horizontal and the parachute axis of symmetry)
κ	XK	Proportionality constant
ρ	RHO	Air density
ω	XOM	Angular velocity of the parachute axis of symmetry

List of Symbols (Concluded)

Subscripts	Explanation
o	Initial
Superscripts	Explanation
-	Non-dimensional
	Derivative with respect to time

SELECTION OF OPENING MODEL FOR PARACHUTE SCALING STUDIES

Introduction

The purpose of this ongoing research project has been to identify those scaling laws important in modeling parachute opening dynamics, and to determine scaling parameters that will provide relationships in canopy stiffness.

Reference [1] summarizes the work done on this project during the time period from December 15, 1988, to December 14, 1989. During this period, an improved scaling parameter was developed for determining stiffness effects on the opening behavior of flat circular parachute canopies. This scaling parameter, called the relative stiffness index, worked well for correlating opening time of flat circular parachutes, and gave fair correlation for predicting opening shock for these canopies; but more work needed to be done on the opening shock method. In addition, the relative stiffness index concept should also be extended to other parachute geometries. The concept is well enough advanced, however, to justify its incorporation in some manner into an opening dynamics theory.

In the present work, a theory was chosen and computer programmed as a basis for allowing introduction of the stiffness concept and to provide a basis for later correlation of the test data available at Natick to further validate the use of the relative stiffness index.

Brief review of available theories

A listing of some of the various opening dynamics theories can be found in [2-13]. A critical review of some of the opening dynamics theories can be found in [14]. The two theories that proved most useful for this study were those developed by Fu [12] and Lingard [13].

Fu developed a theory to predict parachute opening shock and time, using a minimum of experimental inputs based on as little test data as possible. Fu considered the payload and canopy as two point masses connected by a spring with damping. The canopy shape was represented as a truncated cone topped with a hemispherical cap. The apparent mass of the parachute was assumed to be proportional to the canopy volume. The canopy vent size and effective porosity of the canopy fabric were considered in the conservation of mass equations used to model canopy filling. Using Newton's Law, Conservation of Mass, and the appropriate geometric relations, the writer derived a system of nonlinear differential equations. Some of the results of this theory are presented in [1].

Lingard's analysis for predicting opening shock was considerably different from that of Fu but led to similar results. His method was intended to provide a relatively simple theory to let a designer perform trade-offs upon the effects on the peak load of parameters such as snatch velocity, suspended mass, parachute size, and altitude

and angle of deployment. The main assumptions made by Lingard were as follows:

- a. The parachute inflates in a constant nondimensional opening time independent of snatch velocity and mass ratio.
- b. For a given parachute design, there exists a unique force coefficient vs. nondimensional time function which is independent of snatch velocity or mass ratio.

These two assumptions were then used to extract empirical data from a small number of full-scale tests of a particular solid cloth parachute system. With these assumptions, Newton's Second Law was then used to develop a model that allowed calculation of force and velocity profiles during deployment. The effects of the above-mentioned variables on deployment could then be studied.

A comparison of results from Lingard's and Fu's methods is given in [1] and will not be repeated here. The comparison shows similar trends in results from the two totally different approaches and lends confidence to the results obtained. Because of assumption (a) used above, Lingard's method is not useful in predicting Froude number and mass ratio effects on opening *time*, but the time assumption itself agrees fairly well with the theoretical results obtained by Fu.

More complex opening dynamics theories are also available, some of them being briefly summarized in [15]. However, most of these are far too complex for general use and not amenable to a reasonable simulation of opening dynamics, especially when parametric studies need to be conducted for a wide range of variables. The following quote, taken from [16] aptly depicts the situation regarding many of these prediction methods:

The difficulty in predicting the performance of a parachute lies in the complex interaction between the porous canopy and the surrounding flow field. The parachute inflation process involves the unsteady, viscous, compressible flow about a porous body that undergoes large shape changes. Moreover, this body is composed of nonlinear materials with complex strain, strain rate, and hysteresis properties. Thus it is not surprising that a rigorous analysis of the Navier-Stokes equations for the unsteady flow about an inflating parachute presents a formidable challenge to existing computational capabilities. A recent study at Sandia National Laboratories concluded that an axisymmetric flow field solution for a typical weapons parachute would require 3300 hours on a CDC 7600 computer or 330 hours on a CRAY system. Hence, there exists an urgent need for a dependable intermediate theory useful for parachute design.

Continued work on canopy stiffness scaling laws will be hampered if a reasonable theory is not available that can be modified in some fashion to simulate canopy stiffness. Hence, the theories were examined to select one most suitable for this task.

The theories of Lingard and Fu referenced earlier seem to provide a reasonable compromise in accuracy without being excessively unwieldy. However, proper verification of these parachute opening theories will eventually require a wide range of tests. The scatter in test data creates this need. Most of these tests would have to be conducted outside the practical range of mass ratios and Froude numbers normally used in real parachute applications.

Conversely, at Froude numbers on the order of four to six where opening shock loads are reasonable, extrapolation of the theories of Fu and Lingard show almost no effect of typical mass ratio changes on nondimensional opening force. For this reason further tests need to be conducted at high Froude numbers over a wide range of mass ratios, and the theories of Fu or Lingard must be used to calculate expected parachute behavior at lower Froude numbers than they present in their works.

Basis for final selection of theory

The theory selected for programming must ultimately be one that appears suitable for modification to simulate canopy stiffness effects, be relatively complete (not oversimplified), yet amenable to computer programming and calculations at reasonable cost. The theory developed by Fu appeared to be the best for this purpose, if canopy stiffness effects can eventually be simulated using various input values for initial semi-aperture angle, θ_0 (see Fig. 1), or some similar means. Heinrich and Hektner's stiffness index [17] used the inverted hang test of the canopy and an experimental measurement of D_{max} to represent canopy stiffness. The D_{max} and stiffness index values should be reflected in the initial semi-apertural angle θ_0 in some manner. Fu's theory also allows part of the areal density effect of the fabric to be reflected by making an input change to canopy mass. Some of the effect of canopy stiffness could be accounted for by an adjustment to suspension line elasticity input, but this does not duplicate the main effect of canopy stiffness.

Major assumptions in the theory

The complete details and assumptions used by Fu will not be given in this report. The reader is referred to [12] for this information. The major assumptions and the models used to simulate the parachute opening geometry will be summarized, however. The parachute opening is broken down into a "first filling phase," "second filling phase," and "transition phase." The assumptions are as follows:

- a. *First filling phase.* During the first filling phase, the parachute geometry is assumed as shown in Fig. 1.
 1. The initial semi-apertural angle, θ_0 , is assumed to be a constant during this phase, and is obtained empirically.
 2. The canopy shape starts off as a small hemisphere and fills until the distance, X , is equal to the constructed diameter of the parachute. This determines the end of the first filling phase.
 3. During the first filling phase, no porosity or vent flow is assumed.
 4. The inflow area at the mouth of the parachute is taken to be a fraction of the actual area, using an empirical "contraction factor," k_1 . The canopy velocity is used for the inflow velocity.
 5. A constant parachute drag coefficient (typically 0.5) is assumed during phase I, and the drag changes with changes in projected frontal area and canopy velocity.
 6. Each suspension line is represented by a spring and damper, allowing for line stretch and a relative velocity between canopy and payload.

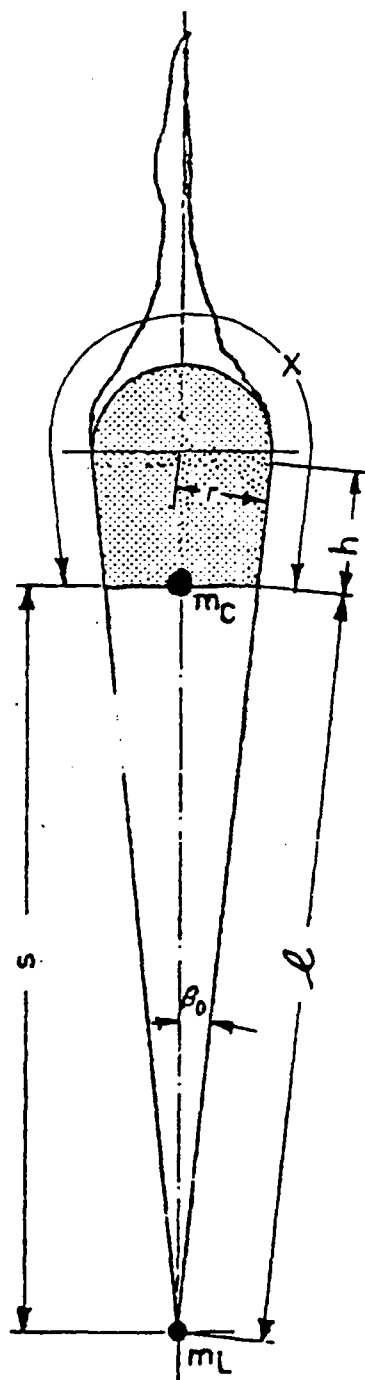


Fig. 1. Geometric Model of the Canopy for the First Filling Phase [12].

7. The initial suspension line stretch is determined from an input value for canopy snatch force.
8. In this phase, and all phases, the air is assumed incompressible.

As mentioned earlier, once the "wrap-around distance," X , equals the canopy constructed diameter, the first filling phase ends and the second filling phase begins.

- b. *Second filling phase.* Fig. 2 shows the model used to represent the canopy during the second filling phase. The assumptions used to represent this portion of filling are as follows:
 1. The shape of the canopy is assumed to be a truncated cone with a hemispherical cap. The wrap-around distance remains constant and equal to the constructed diameter, D_C .
 2. As air flows into the parachute mouth, the suspension line semi-apertural angle, β , increases, causing the hemispherical cap to grow larger in diameter while the sides of the truncated cone portion, h , decrease in length.
 3. Conservation of mass applied to the inflow air governs the rate of canopy inflation. Air flow is allowed out through the vent and through the porous hemispherical portion of the canopy. An empirical contraction factor, k_2 , different from k_1 in a.4., is used for this portion of the filling.
 4. A new parachute drag coefficient (typically 1.3) is assumed during phase 2. Again, canopy drag changes with projected frontal area and canopy velocity.
 5. Suspension lines are again represented by springs and dampers allowing for line stretch and a relative velocity between canopy and payload.
 6. The second filling phase ends when the length of the sides of the truncated cone, h , has decreased to a value of $0.03 D_0$. This is an empirical value obtained from motion pictures of parachute opening analyzed by Fu.
- c. *Transition phase.* The transition phase is that phase that occurs between the end of the second filling phase and the time that steady state descent is reached. Fig. 3 shows the idealized geometry for the transition phase. The assumptions used in this phase are as follows:
 1. The shape and size of the canopy remain constant at the steady state values h_{st} , $D_C/2$, r_{st} , and β_{st} as shown in Fig. 3. These values are the corresponding values that existed at the end of the second filling phase as defined by $h_{st} = h = 0.03 D_0$.
 2. The suspension lines are still represented by springs and dampers allowing for line stretch and relative velocity between canopy and payload. Thus, although the canopy shape remains unchanged, the semi-apertural angle, β , varies through a damped oscillation.

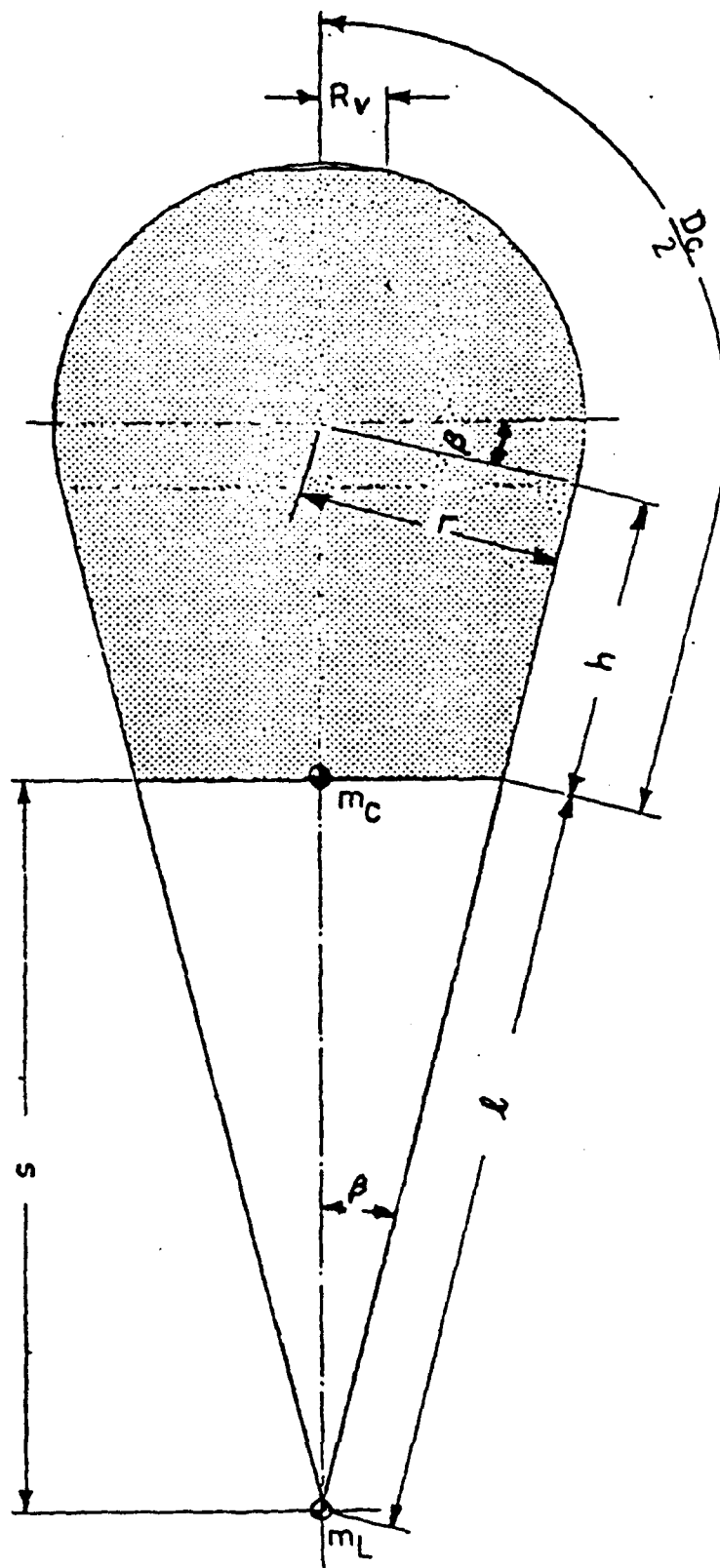


Fig. 2. Geometric Model of the Canopy for the Second Filling Phase [12].

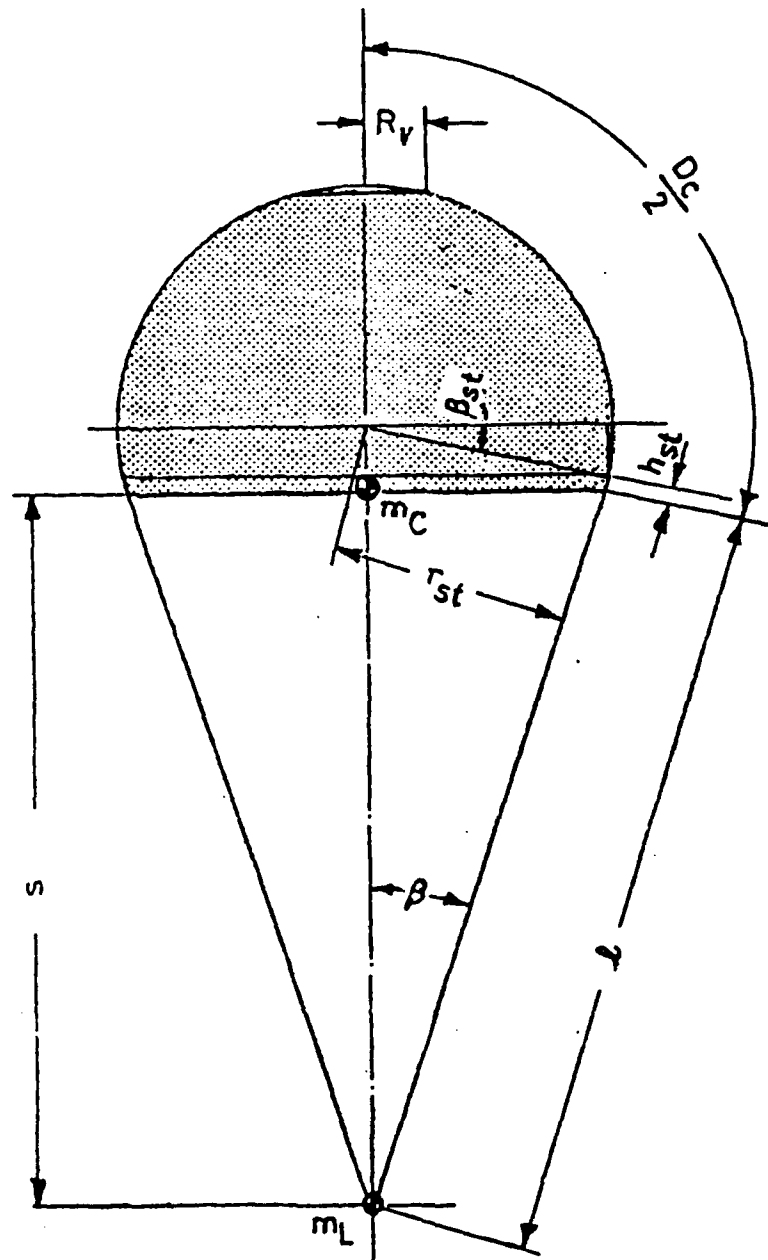


Fig. 3. Geometric Model of the Canopy for the Transition Phase [12].

3. Air flow is again accounted for through the vent and porous hemispherical portion of the canopy.
4. The drag coefficient is held constant at the value assumed for the second filling phase.

The transition phase ends when all geometric and trajectory parameters reach steady state values, i.e., the suspension line length, l , and semi-apertural angle, β , become constant, and the terminal velocity and vertical descent path are reached. Theoretically, this would occur asymptotically over a long period of time, but practically speaking, steady state values are approached closely in a period of several seconds. In any case, maximum filling force and opening time have already been calculated near the end of the second filling phase in most situations.

Fig. 4 is a simplified illustration of the velocity and acceleration components for the combined canopy and payload system. Fig. 5 shows the forces acting on the parachute-payload system.

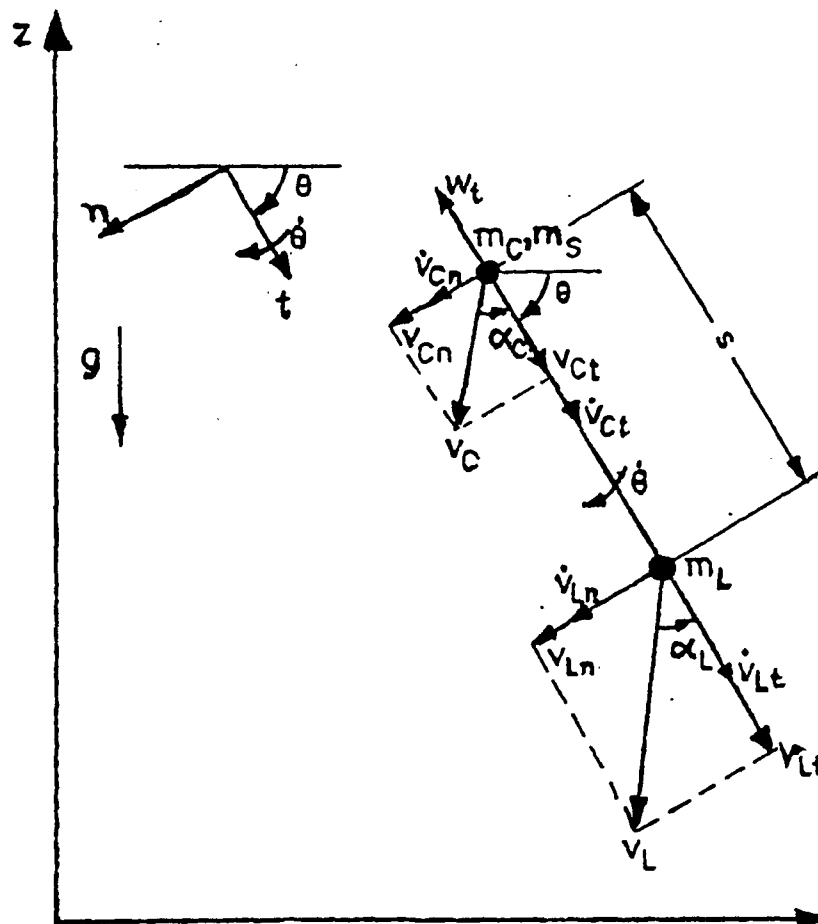


Fig. 4. Velocity and Acceleration Components of the Elastically Connected Canopy (m_C) and Payload (m_L) Mass Points in the Body Coordinate System [12].

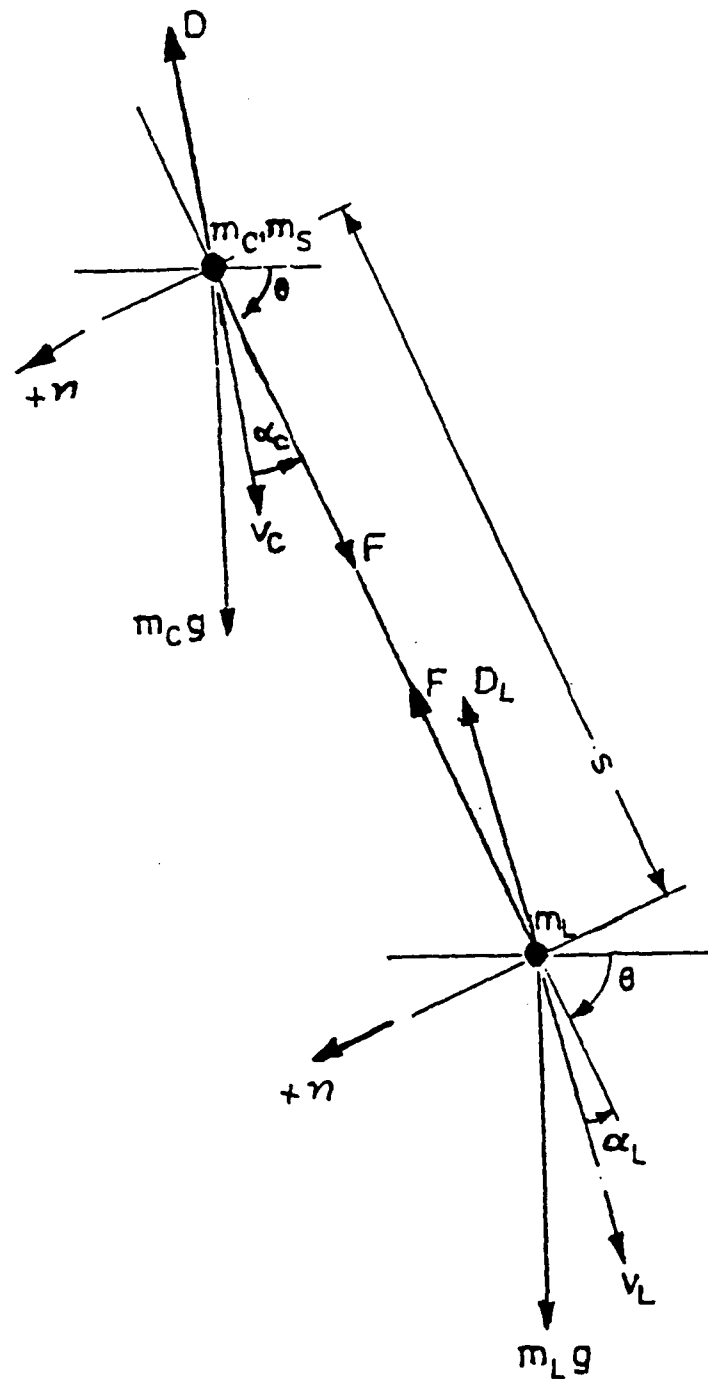


Fig. 5. Forces Acting on the Parachute-Payload System
(Velocities also Shown) [12].

Computer program development

Each phase of the opening process involves the numerical solution of between five and eight simultaneous nonlinear differential equations, together with numerous geometric constraint equations.

To properly program the equations developed in [12], it is necessary to become thoroughly familiar with all the equation derivations; verifying assumptions, checking the algebra of the derivations, checking for typographical errors in the preparation of [12], and then coding the program into a computer language (in this case, Fortran was used). Because of the complexity of this task, and due to time limitations, it was not possible to do these steps for all three phases, and some compromises had to be made. These were as follows.

The first filling phase equations were checked carefully, some typographical errors were noted and corrected, and the equations were programmed. Because of time constraints, only some of the equations were checked for the second filling phase and transition phase. The major part of the effort went into programming these equations and running them to check if the results seemed reasonable.

One point should be made here. As the program goes from one filling phase to another, the relative velocity between the canopy and payload must be recalculated between phases and a small discontinuity in this value introduced. This discontinuity is necessary to satisfy force and length continuity in the suspension lines, between phases, due to the discontinuity that inevitably must occur when the geometric model is abruptly changed between phases. In most cases, the change in relative velocity is less than a few percent and should be of no consequence within the accuracy of the theory. This approximation is inherent to Fu's theory.

Current Limitations in the Program

There are two limitations in the computer program that should be removed at a later date. For certain calculated drop conditions, the calculated force in the suspension lines goes to a small negative value for a short period of time during the transition phase. During the transition phase, the parachute-payload is behaving primarily as a spring-mass-damper system. Conceivably this behavior could occur during the other phases for some drop conditions. Fu made no mention of how this should be handled in [12]. Obviously, this must be modified by program statements that set the suspension line force equal to zero if a negative force is calculated, since the suspension lines cannot physically tolerate a compressive force. In [5], Payne's theory also considers suspension line stiffness, but not canopy stiffness, and the suspension line force also goes to zero several times during some drops due to the spring-mass-damper characteristics of the system.

The other change that needs to be made to the program is an improvement in the accuracy of the integration routine used. The current program uses Euler's method for solving the differential equations. This is adequate as a first approximation to the theory, but needs to be upgraded before the program is used extensively. A higher order integration routine, such as fourth-order Runge-Kutta, should be incorporated. Additionally, time should be spent checking the accuracy of the remaining equations in [12] to ensure that no additional typographical or derivation errors exist.

Program Listing and Typical Output

Appendix A contains the Fortran listing for the program, temporarily called FUDROP here, with input for a typical case. The input is for a C-9 type parachute canopy, and the parachute geometry and drop conditions are given in Table 1. The values in Table 1 correspond to Example 1 from [12] and are used to compare this program's output with Fu's results.

Appendix B contains the program output for this case. The first part of the program is an echo of the input for parachute geometry and snatch conditions. This is followed by the output for the first filling phase, lasting for 0.20 seconds, followed by a statement indicating the end of the first filling phase.

Table 1. Parachute Geometry and Drop Conditions, FUDROP
(See Appendix A)

Variable	Symbol	Value
Parachute nominal diameter	D_o	28.22 ft
Constructed diameter	D_C	28.45 ft
Payload radius	R	0.755 ft
Vent radius	R_V	0.820 ft
Suspension line length	l_s	28.22 ft
Air density (1000 ft alt)	ρ	0.00231 sl/ft ³
Number of suspension lines	n	28
Drag coefficient of payload	C_{DL}	0.64
Snatch velocity	V_s	185 fps
Total weight	W_T	296 lbs
Payload weight	W_L	280 lbs
Initial trajectory angle (below horizontal)	θ_o	50°
Snatch force	F_s	662 lbs
Effective porosity of fabric	C_{eff}	0.1

The output format for the second filling phase is presented in a slightly different arrangement, and ends at 0.90 seconds for this example. The output for the transition phase is again in a different format, and calculations for this case were stopped at 5.9 seconds, as the terminal velocity had essentially been reached and the trajectory was approximately vertical ($\Theta = 85^\circ$).

Comparison with Fu's Results

The calculated results from Appendix B are nondimensionalized and compared with Fu's results in Fig. 6. In this figure, the solid lines are Fu's calculated results, the short dashed lines drawn through squares, triangles or diamond-shaped symbols are the Appendix B results, and the long dashed lines are experimental data from [18]. The letters along the abscissa of Fig. 6 correspond to comparisons of the calculated and measured parachute shapes, semi-apertural angles, and nondimensional times in Fig. 7.

Figure 7 shows fair to good agreement between theory and experiment. The major difference is that the parachute changes shape somewhat at the beginning of the transition phase, including the well known "overexpansion." The theory does not account for this, nor for the change in suspension line angle during the first filling phase.

Comparing the results in Fig. 6 for nondimensional radius, \bar{r} , the Appendix B results differ from Fu's somewhat, but agree better with experiment. The present theory shows the parachute growing in size more slowly than Fu predicts. Comparing nondimensional velocity (\bar{v}_L) histories, Fu's theory agrees better with experiment than the Appendix B results. The slower theoretical parachute growth rate of the present theory results in less drag and a resulting slower velocity decay than predicted by Fu. For the force history comparison, Fu's results agree better with experiment during the early part of the opening time period, but the Appendix B results agree better with experiment near the peak period of the force history. Generally, the trends shown for both theories and the experiment agree well.

It is expected that better agreement between the present programming of Fu's theory (Appendix A) and Fu's results would be obtained if a more accurate integration routine were used in Appendix A. The type of deviation between the two theories shown in Fig. 6 is typical of the difference obtained when using Euler's method for integration as opposed to higher order methods.

Suggestions for future work

The present theory should be improved by updating the integration routine and incorporating program statements to set riser force equal to zero whenever the program calculates a negative suspension line force (this has occurred for the present theory only for short periods of time in the transition phase for cases examined thus far). The remaining equations developed by Fu should be checked for accuracy.

Fu applied this theory only to aircraft drop test data of full-scale 28 ft D_0 C-9 parachutes. The program should be used to compare predictions with Lee's drop test data [19,20] for the 1/2-scale and 1/4-scale C-9 models, and to the full-scale C-9 parachutes that were drop tested with the heavier fabrics as part of Natick's scaling studies.

Finally, the program should be modified in some fashion to simulate canopy stiffness effects so the program can be better used to study the scaling problems that arise when using model wind tunnel or drop test data to predict prototype parachute performance. The program could then be used as a basis for further theoretical verification of the relative stiffness index proposed in [21].

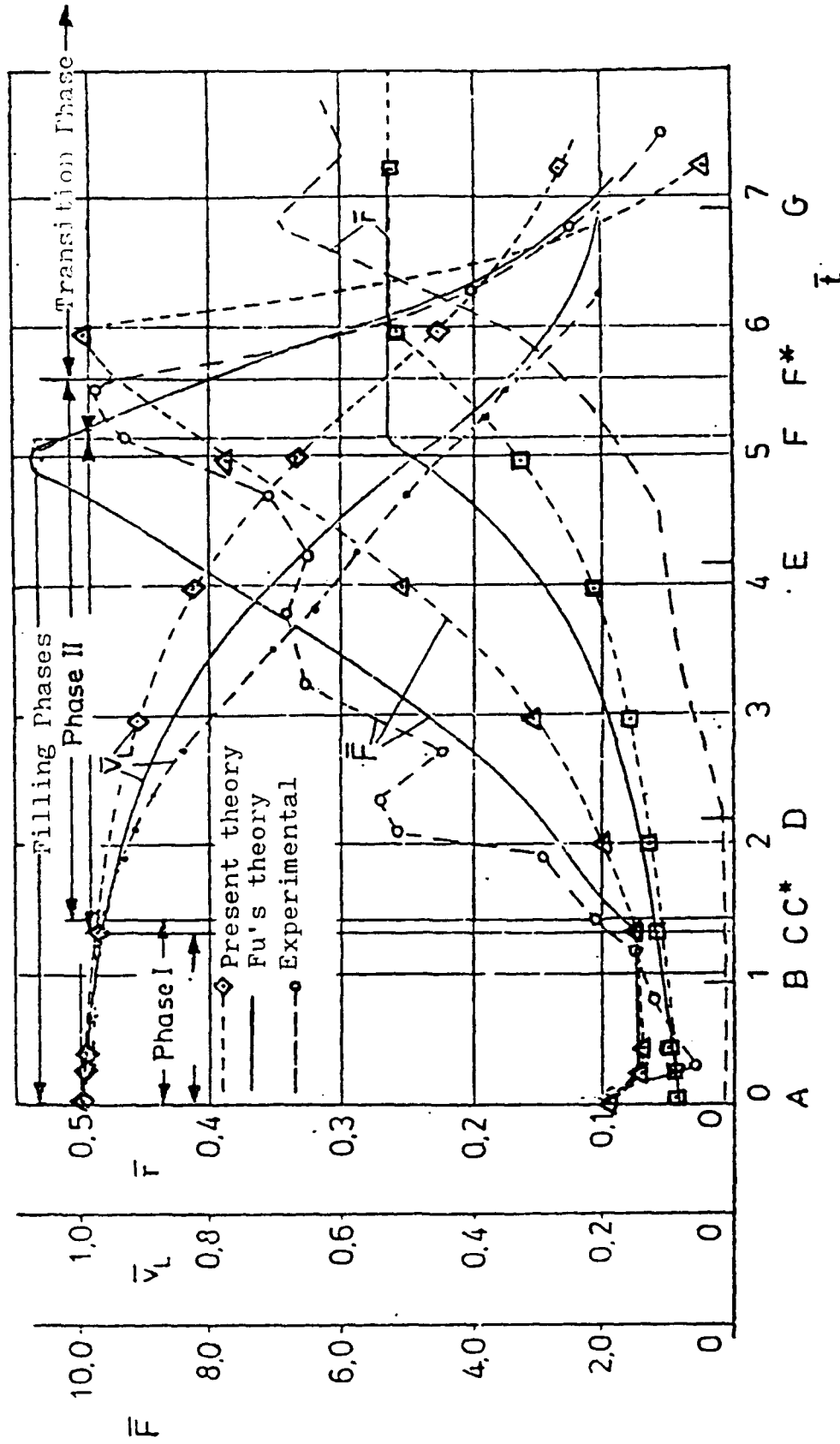


Fig. 6. Calculated and Measured Values of the Force \bar{F} , Velocity \bar{v}_L , and Radius, \bar{r} versus Time \bar{t} , in Nondimensional Form (Measurement results: [18], Figure: [12]).

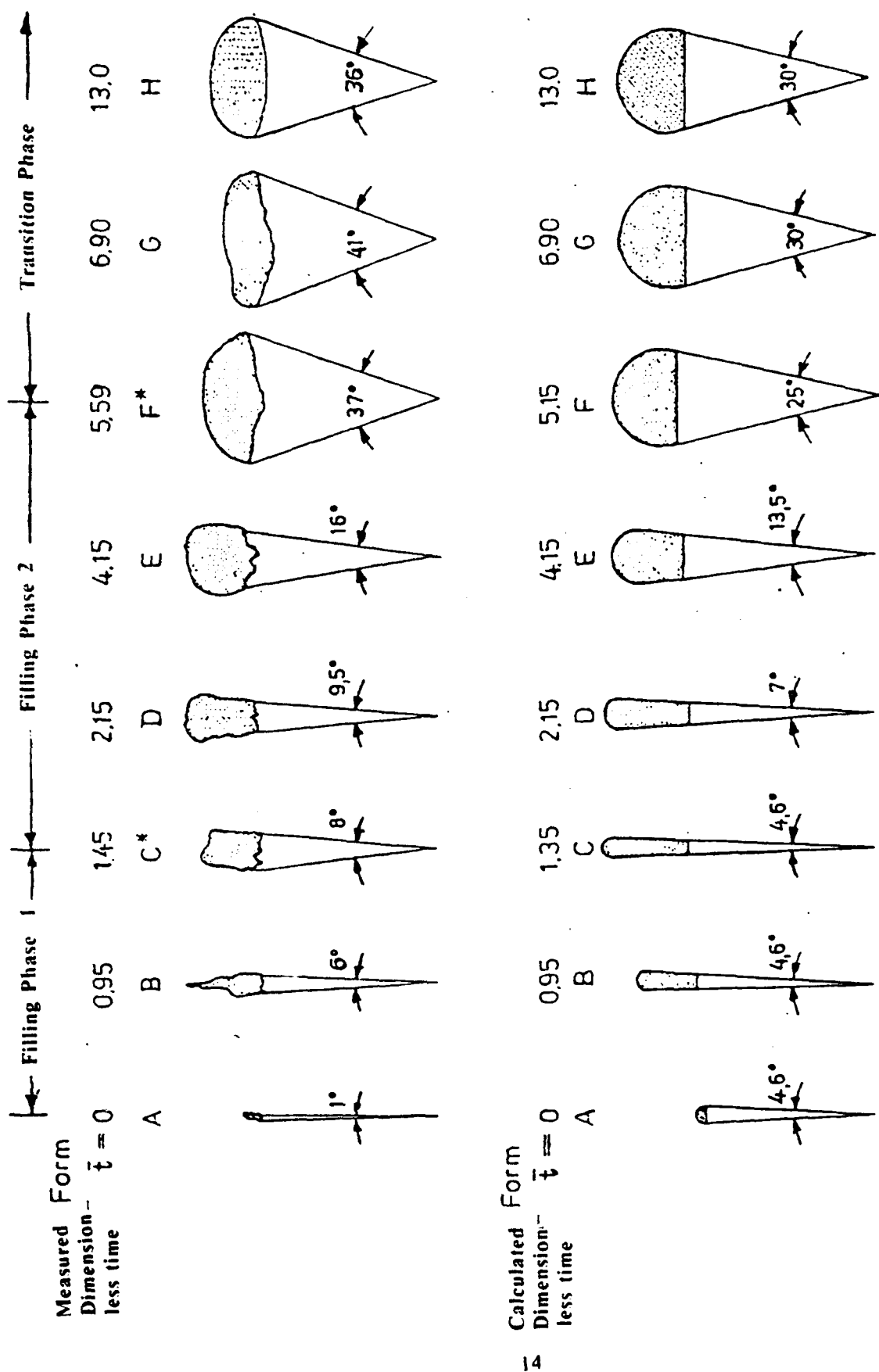


Fig 7. Calculated and Measured Geometric Shape of the Canopy at Various Nondimensional Times (Measurements: [18], Figure: [12]).

Conclusions

Any evaluation of experimental data on parachute scaling stiffness effects is somewhat hampered if a simplified theory is not available to guide in interpreting test data. This report has presented a theory that can be used for this purpose with suitable modifications.

The theory has been programmed in Fortran and checked against Fu's results for a single case. More work needs to be done to check the equation derivations and upgrade the integration routines.

After the improvements are made, the theory should be compared with available Natick drop test data on scale model parachutes, and the effects of canopy stiffness should be incorporated into the theory.

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Appendix A
FORTTRAN LISTING OF FUDROP PROGRAM

PROGRAM FUDROP

C THIS PROGRAM CALCULATES THE OPENING DYNAMICS OF A PARACHUTE
C USING FU'S THEORY

C THIS PORTION OF THE PROGRAM INCLUDES GEOMETRIC PARACHUTE INPUTS
C AND INITIAL DEPLOYMENT CONDITIONS

CF=20.6
CEF=0.1
CD1=0.5
RP=0.755
CD2=1.315
CDL=0.64
DS=1.37
DO=28.22
DC=28.45
FS=662.
G=32.19
XK=2.
XK1=0.49
XLS=28.22
XN=28.
RV=0.82
WL=280.
WT=296.
VS=185
ZL=1000.
BO=0.04
P=3.1416
THO=0.8727
RW=0.
RHO=0.00231
XOMO=0.

PRINT*, 'THE DEFAULT INPUTS FOR THIS PROGRAM ARE AS FOLLOWS'
PRINT*, 'PARACHUTE DIAMETER IS', DO, 'FT'
PRINT*, 'CONSTRUCTED DIA OF PARACHUTE IS', DC, 'FT'
PRINT*, 'NO. OF SUSPENSION LINES IS', XN
PRINT*, 'SUSPENSION LINE LENGTH IS', XLS, 'FT'
PRINT*, 'APERTURE RADIUS IS', RV, 'FT'
PRINT*, 'EFFECTIVE POROSITY IS', CEF
PRINT*, 'SPRING CONSTANT OF A SUSPENSION LINE IS', CF, 'LB/FT'
PRINT*, 'DAMPING COEF. OF A SUSP. LINE IS', DS, 'LB-SEC/FT'
PRINT*, 'FIRST PHASE PARA. DRAG COEFF IS', CD1
PRINT*, 'SECOND PHASE PARA. DRAG COEFF IS', CD2
PRINT*, 'TOTAL CANOPY & PAYLOAD WEIGHT IS', WT, 'LBS'
PRINT*, 'APP. MASS PROPORTIONALITY CONSTANT IS', XK

```

PRINT*, 'FIRST PHASE CONTRACTION FACTOR IS', XK1
PRINT*, 'INITIAL SEMI-APERTURE ANGLE IS', BO, 'RADS'
PRINT*, 'PAYLOAD WEIGHT IS', WL, 'LBS'
PRINT*, 'PAYLOAD RADIUS IS', RP, 'FT'
PRINT*, 'PAYLOAD DRAG COEFF IS', CDL
PRINT*, ' '
PRINT*, 'PARACHUTE SNATCH CONDITIONS ARE AS FOLLOWS:'
PRINT*, 'SNATCH VELOCITY IS', VS, 'FT/SEC'
PRINT*, 'INITIAL FLIGHT PATH ANGLE THETA IS', THO, 'RADS'
PRINT*, 'X COORD OF PAYLOAD AT SNATCH IS', XL, 'FT'
PRINT*, 'ALTITUDE OF PAYLOAD AT SNATCH IS', ZL, 'FT'
PRINT*, 'OPENING SHOCK OF PAYLOAD AT SNATCH IS', FS, 'LBS'
PRINT*, 'REL. VEL. BETWEEN CANOPY AND LOAD IS', RW, 'FPS'
PRINT*, 'INITIAL ANG. ROTATION RATE IS', XOMO, 'RAD/SEC'

```

C INITIAL VALUES OF VARIABLES FOR FIRST FILLING PHASE

```

DT=.001
DTPR=.01
TPR=DTPR
VLT=VS
VCN=0.
TH=THO
XOM=XOMO
XLO=(FS/(XN*CF*COS(BO)))+XLS
RO=((FS/(XN*CF*COS(BO)))+XLS)*TAN(BO)
VO=((P/3.)*RO**3.)*(4.-(2.+SIN(BO))*(1.-SIN(BO))**2.)
R=RO
H=0.
V=VO
XL=XLO
XML=WL/G
XMC=(WT-WL)/G
CD=CD1
CBO=COS(BO)
SBO=SIN(BO)
TBO=TAN(BO)
CTBO=1./TBO
500 DPR=(P*R**2.)*(4.-(2.+SBO)*(1.-SBO)**2.)+(P*H*CBO**3.)*
C (2.*R-H*TBO)
DPH=(P*CBO**3.)*(R-H*TBO)**2.
VD=(XK1*P*CBO**2.)*(VLT-RW)*(R-H*TBO)**2.
RD=((RW/CBO)*DPH+VD)/(CTBO*DPH+DPR)
HD=(VD*CTBO-RW*DPR/CBO)/(CTBO*DPH+DPR)
XLD=RD*CTBO-HD
THD=XOM
DV=VLT-RW

```

```

RCH=R*CTBO-H
VLTD=VCN*XOM+(XOM**2.)*RCH*CBO-(XN*CBO/XML)*(CF*(RCH
C  -XLS)+DS*RW/CBO)+G*SIN(TH)-(.5*CDL*RHO*VLT/XML)*SQRT(
C  VLT**2.+(VCN+XOM*RCH*CBO)**2.)*P*RP**2.
RWD=VLTD-VCN*XOM+((XK*RHO*DV*VD)/(XMC+XK*RHO*V))-((XN*
C  CBO*(CF*(RCH-XLS)+DS*RW/CBO)+XMC*G*SIN(TH)-.5*CD*RHO
C  *DV*SQRT(DV**2.+VCN**2.)*P*RP**2.)/(XMC+XK*RHO*V))
VCND=
C  -DV*XOM-(XK*RHO*VCN*VD)/(XMC+XK*RHO*V)+(XMC*G*COS(
C  TH)-.5*CD*RHO*VCN*SQRT(DV**2.+VCN**2.)*P*RP**2.)/(XMC
C  +XK*RHO*V)
XOMD=(-VCND-(VLT+RW)*XOM+G*COS(TH)-(0.5*CDL*RHO/XML)
C  *(VCN+XOM*RCH*CBO)*SQRT(VLT**2.+(VCN+XOM*RCH*CBO)**
C  2.)*P*RP**2.)/(CBO*RCH)
XL=R*CTBO-H
XLD=RD*CTBO-HD
F=XN*CBO*(CF*(XL-XLS)+DS*XLD)
600 IF(T-TPR) 610,630,630
610 CONTINUE
620 GO TO 660
630 PRINT*, ' '
PRINT*, 'TIME RATE OF CHANGE OF VOLUME IS',VD,'CFS/S'
PRINT*, 'TIME RATE OF CHANGE OF RADIUS IS',RD,'FT/S'
PRINT*, 'TIME RATE OF CHANGE OF H IS',HD,'FT/S'
PRINT*, 'PAYLOAD TANGENTIAL ACC. IS',VLTD,'FPS/S'
PRINT*, 'ACCEL OF CANOPY WRT PLD IS',RWD,'FPS/S'
PRINT*, 'CANOPY NORMAL ACC. IS',VCND,'FPS/S'
PRINT*, 'RISER FORCE ACTING ON PAYLOAD IS',F,'LBS'
PRINT*, ' '
PRINT*, ' TIME (SECS) ', ' VOL(CUFT) ', ' RADIUS (FT) ',
C  ' HEIGHT (FT) ', ' LENGTH (FT) '
PRINT*,T,V,R,H,XL
PRINT*, ' THETA (DEG) ', ' VLT (FPS) ', ' RW (FPS) ',
C  ' VCN (FPS) ', ' OMEGA (RAD/SEC) '
TH=57.296*TH
PRINT*,TH,VLT,RW,VCN,XOM
PRINT*, ' '
TH=TH/57.296
650 TPR=TPR+DTPR
660 TEST=H+(P/2.+BO)*R
IF (TEST.GE.(DC/2.)) GO TO 900
V=V+VD*DT
R=R+RD*DT
H=H+HD*DT
XL=XL+XLD*DT
TH=TH+THD*DT

```

```

VLT=VLT+VLTD*DT
RW=RW+RWD*DT
VCN=VCN+VCND*DT
XOM=XOM+XOMD*DT
THD=XOM
T=T+DT
IF (T.GE.0.3) GO TO 1000
GO TO 500
900 PRINT*, 'END OF FIRST FILLING PHASE'
1000 CONTINUE
C THIS PORTION OF THE PROGRAM CALCULATES THE PARACHUTE
C BEHAVIOR DURING THE SECOND FILLING PHASE
PRINT*, ' '
PRINT*, 'PARACHUTE DYNAMICS DURING SECOND FILLING PHASE'
DT=.001
DTPR=0.05
TPR=T+DTPR
CD=CD2
B=BO

C PROGRAM REENTERED HERE EACH TIME WITH NEW VALUE OF BETA
1500 CB=COS(B)
SB=SIN(B)
TB=TAN(B)
CTB=1./TB
GE=0.5*P+B
GEO=0.5*DC- (.5*P+B) *R
GEOM=R*CTB-GEO
A1=CB*(CTB+GE)
A2=(P*R**2.)*(4.-(2.+SB)*(1.-SB)**2.)+(P*CB**3.)/3.)*((-GE)*(0.75
* R**2.+(1.5*R-TB*GEO)**2.)+GEO*(1.5*R+2.
* (1.5*R-TB*GEO)*(1.5+TB*GE)))
B1=-(R*CB*CTB**2.+SB*(R*CTB-GEO))
B2=P*(R*CB)**3.+(2.*P*CB**3.)/3.)*GEO*(1.5*R-TB*GEO)*(R*TB-
+ (GEO/CB**2.))-((P*CB**3.)/3.)*(R+3.*TB*GEO)*(0.75*R**2.+
+ (1.5*R-TB*GEO)**2.)

H=GEO
IF (H.GT.0.1*DO) XK2=1.0
IF (H.LE.0.1*DO) XK2=0.1+9.*H/DO
IF (H.LE..03*DO) GO TO 2000
IF (B.GT.BO) GO TO 1540

C THIS PORTION OF PROGRAM ITERATES ON VALUE OF RW
C NEEDED FOR TRANSITION FROM PHASE I TO PHASE II
1530 PRINT*, 'ITERATION SEQUENCE FOR RW BETWEEN PHASES I AND II'

```



```
PRINT*, 'FINAL PHASE I RW EQUALS', RW, 'FPS'
CONTINUE
```

```
1540 VD=P*(VLT-RW)*XK2*((R-GEOM*TB)*CB)**2.-RV**2.-2.*CEF*R*R*(SB+
+ SQRT(1.-(RV/R)**2.))
RD=(RW*B2-B1*VD)/(A1*B2-B1*A2)
BD=(A1*VD-RW*A2)/(A1*B2-B1*A2)
IF(ABS(B-BO).GE..00002) GO TO 1560
TEMPID=RD*(0.5*P+B+CTB)-R*BD*CTB**2.
IF(ABS(XLD-TEMPID).LE..001) GO TO 1550
RW=RW-BD*XL*SB
GO TO 1540
```

```
1550 CONTINUE
```

```
PRINT*, 'INITIAL PHASE II RW EQUALS', RW, 'FPS'
XLD=TEMPID
```

```
C END OF ITERATION ROUTINE FOR RW BETWEEN PHASES I AND II
```

```
1560 THD=XOM
```

```
VLTD=VCN*XOM+(GEOM)*CB*XOM**2.-((XN*CB)/XML)*(CF*(GEOM-XLS)
+ (DS*RW/CB)+DS*(GEOM)*BD*TB)+G*SIN(TH)-((CDL*RHO*VLT)/(2.*XML))
+ (SQRT(VLT**2.+(VCN+XOM*GEOM*CB)**2.))*P*RP**2.
DV=VLT-RW
RND=VLTD-VCN*XOM+(XK*RHO*DV*VD)/(XMC+XK*RHO*V)-((XN*CB)*(CF*
+ (GEOM-XLS)+DS*RW/CB+DS*GEOM*BD*TB)+XMC*G*SIN(TH)-0.5*CD*RHO
+ *DV*(SQRT(DV**2.+VCN**2.))*P*R**2.)/(XMC+XK*RHO*V)
VCND=-DV*XOM-(XK*RHO*VCN*VD)/(XMC+XK*RHO*V)+(XMC*G*COS(TH)
+ -0.5*CD*RHO*VCN*(SQRT(DV**2.+VCN**2.))*P*R**2.)/(XMC+XK*RHO*V)
XOMD=(-VCND-(VLT+RW)*XOM+G*COS(TH)-(0.5*CDL*RHO/XML)*(VCN+XOM
+ *GEOM*CB)*(SQRT(VLT**2.+(VCN+XOM*GEOM*CB)**2.))*P*RP**2.)/(
+ CB*GEOM)
F=XN*CB*(CF*(R*CTB-H-XLS)+DS*(RD*(0.5*P+B+CTB)-R*BD*CTB**2.))
```

```
1600 IF(T-TPR) 1610,1630,1630
```

```
1610 CONTINUE
```

```
1620 GO TO 1660
```

```
1630 PRINT*, ' '
```

```
PRINT*, ' TIME(SECS) ', ' BETA( DEG) ', ' VOL(CUFT) ', '
+ RADIUS(FT) ', ' FORCE(LBS) '
```

```
B=57.296*B
```

```
PRINT*, T, B, V, R, F
```

```
B=B/57.296
```

```
PRINT*, ' THETA( DEG) ', ' VLT(FPS) ', ' RW(FPS) ',
+ ' VCN(FPS) ', ' OMEGA(RAD/SEC) '
```

```
TH=57.296*TH
```

```
PRINT*, TH, VLT, RW, VCN, XOM
```

```

PRINT*, ' '
1650 TPR=TPR+DTPR
    TH=TH/57.296
1660 V=V+VD*DT
    R=R+RD*DT
    B=B+BD*DT
    TH=TH+THD*DT
    VLT=VLT+VLTD*DT
    RW=RW+RWD*DT
    VCN=VCN+VCND*DT
    XOM=XOM+XOMD*DT
    T=T+DT
    IF (T.GE.5.) GO TO 2500
    GO TO 1500
2000 PRINT*, 'END OF SECOND FILLING PHASE'
C    THIS PORTION OF THE PROGRAM CALCULATES PARACHUTE BEHAVIOR
C    DURING THE TRANSITION PHASE
    PRINT*, ' '
    PRINT*, 'BEGINNING OF TRANSITION PHASE'
    PRINT*, ' '
    DT=.001
    DTPR=0.1
    TPR=T+DTPR
    RST=R
    HST=H
    BST=B
    VST=V
    PRINT*, 'STEADY STATE CANOPY VOLUME EQUALS', VST, 'CU FT'
    PRINT*, 'STEADY STATE CANOPY RADIUS EQUALS', RST, 'FT'
    PRINT*, 'HST EQUALS', HST, 'FT. AND BETAST EQUALS', BST, 'RADS'
    PRINT*, ' '
    CONS=RST*COS (BST) -HST*SIN (BST)
    SB=SIN (B)
    CB=COS (B)
    TB=TAN (B)
    CTB=1./TB
    XL=CONS/SB
C    THIS PORTION OF PROGRAM CALCULATES A NEW VALUE OF RW
C    NEEDED FOR FORCE CONTINUITY BETWEEN PHASE II AND
C    TRANSITION PHASE
    PRINT*, 'FINAL PHASE II RW EQUALS', RW, 'FPS'
    RW=F / (XN*DS*CB**2.) -CF*(XL-XLS) / (DS*CB)
    PRINT*, 'INITIAL VALUE FOR RW FOR TRANS. PHASE EQ', RW, 'FPS'
1700 SB=SIN (B)
    CB=COS (B)
    TB=TAN (B)

```

```

CTB=1./TB
XL=CONS/SB
XLD=RW*CB
BD=-RW*SB/XL
THD=XOM
VLTD=VCN*XOM+XL*CB*XOM**2.-XN*CF*CB*(XL-XLS)/XML-(XN*DS*
* RW*CB**2.)/XML+G*SIN(TH)-(CDL*RHO*VLT*SQRT(VLT**2.+(VCN+
+ XOM*XL*CB)**2.)*P*R**2.)/(2.*XML)
RMD=VLTD-VCN*XOM-(XN*CB*CF*(XL-XLS)+XN*DS*RW*CB**2.+XMC*
* G*SIN(TH)-0.5*CD*RHO*(VLT-RW)*SQRT((VLT-RW)**2.+(VCN**2.)
* P*RST**2.)/(XMC+XK*RHO*VST)
VCND=- (VLT-RW)*XOM+(XMC*G*COS(TH)-0.5*CD*RHO*VCN*SQRT(
+ (VLT-RW)**2.+(VCN**2.)*P*RST**2.)/(XMC+XK*RHO*VST)
XOMD=(-VCND-(VLT+RW)*XOM+G*COS(TH)-(0.5*CDL*RHO*(VCN+XOM*
* XL*CB)*SQRT(VLT**2.+(VCN+XOM*XL*CB)**2.)*P*RP**2.)/XML)
* /(XL*CB)
F=XN*CB*(CF*(XL-XLS)+DS*XLD)
1800 IF(T-TPR) 1810,1830,1830
1810 CONTINUE
1820 GO TO 1860
1830 PRINT*,', '
PRINT*, 'TIME(SECS)', ' BETA(DEG)', ' FORCE(LBS)',
+ ' VLT(FPS)', ' LENGTH(FT)'
B=57.296*B
PRINT*,T,B,F,VLT,XL
B=B/57.296
PRINT*, 'THETA(DEG)', ' RW(FPS)', ' VCN(FPS)',
+ ' OMEGA(RD/SEC)'
TH=57.296*TH
PRINT*,TH,RW,VCN,XOM
PRINT*,', '
1850 TPR=TPR+DTPR
TH=TH/57.296
1860 B=B+BD*DT
VLT=VLT+VLTD*DT
TH=TH+THD*DT
RW=RW+RMD*DT
VCN=VCN+VCND*DT
XOM=XOM+XOMD*DT
T=T+DT
IF(T.GE.6.0) GO TO 2500
GO TO 1700
2500 CONTINUE
STOP
END

```

Appendix B

EXAMPLE FUDROP PROGRAM OUTPUT

THE DEFAULT INPUTS FOR THIS PROGRAM ARE AS FOLLOWS

PARACHUTE DIAMETER IS 28.2200FT
 CONSTRUCTED DIA OF PARACHUTE IS 28.4500FT
 NO. OF SUSPENSION LINES IS 28.0000
 SUSPENSION LINE LENGTH IS 28.2200FT
 APERTURE RADIUS IS 0.820000FT
 EFFECTIVE POROSITY IS 1.00000E-01
 SPRING CONSTANT OF A SUSPENSION LINE IS 20.6000LB/FT
 DAMPING COEF. OF A SUSP. LINE IS 1.37000LB-SEC/FT
 FIRST PHASE PARA. DRAG COEFF IS 0.500000
 SECOND PHASE PARA. DRAG COEFF IS 1.31500
 TOTAL CANOPY & PAYLOAD WEIGHT IS 296.000LBS
 APP. MASS PROPORTIONALITY CONSTANT IS 2.00000
 FIRST PHASE CONTRACTION FACTOR IS 0.490000
 INITIAL SEMI-APERTURE ANGLE IS 4.00000E-02RADS
 PAYLOAD WEIGHT IS 280.000LBS
 PAYLOAD RADIUS IS 0.755000FT
 PAYLOAD DRAG COEFF IS 0.640000

PARACHUTE SNATCH CONDITIONS ARE AS FOLLOWS:

SNATCH VELOCITY IS 185.000FT/SEC
 INITIAL FLIGHT PATH ANGLE THETA IS 0.872700RADS
 X COORD OF PAYLOAD AT SNATCH IS 0.FT
 ALTITUDE OF PAYLOAD AT SNATCH IS 1000.000FT
 OPENING SHOCK OF PAYLOAD AT SNATCH IS 662.000LBS
 REL. VEL. BETWEEN CANOPY AND LOAD IS 0.FPS
 INITIAL ANG. ROTATION RATE IS 0.RAD/SEC

TIME RATE OF CHANGE OF VOLUME IS 399.008CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 3.09262FT/S
 TIME RATE OF CHANGE OF H IS 80.9260FT/S
 PAYLOAD TANGENTIAL ACC. IS -39.2486FPS/S
 ACCEL OF CANOPY WRT PLD IS -194.357FPS/S
 CANOPY NORMAL ACC. IS 18.3940FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 510.826LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
1.00000E-02	7.56761	1.20761	0.825014	29.3492
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0023	184.523	-3.64878	0.192856	4.67598E-04

TIME RATE OF CHANGE OF VOLUME IS 399.535CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.91037FT/S
 TIME RATE OF CHANGE OF H IS 77.5262FT/S
 PAYLOAD TANGENTIAL ACC. IS -31.2931FPS/S

ACCEL OF CANOPY WRT PLD IS -42.1879FPS/S
 CANOPY NORMAL ACC. IS 16.8182FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 441.804LBS

TIME (SECS)	VOL (CUFT)	RADIUS (FT)	HEIGHT (FT)	LENGTH (FT)
2.00000E-02	11.5629	1.23768	1.61925	29.3062
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
50.0028	184.171	-4.80202	0.369653	1.43896E-03

TIME RATE OF CHANGE OF VOLUME IS 397.765CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.76587FT/S
 TIME RATE OF CHANGE OF H IS 74.0037FT/S
 PAYLOAD TANGENTIAL ACC. IS -27.6413FPS/S
 ACCEL OF CANOPY WRT PLD IS 21.7000FPS/S
 CANOPY NORMAL ACC. IS 15.3081FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 410.197LBS

TIME (SECS)	VOL (CUFT)	RADIUS (FT)	HEIGHT (FT)	LENGTH (FT)
3.00000E-02	15.5514	1.26611	2.37862	29.2572
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
50.0040	183.877	-4.88980	0.530984	2.86631E-03

TIME RATE OF CHANGE OF VOLUME IS 394.902CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.63271FT/S
 TIME RATE OF CHANGE OF H IS 70.2807FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.9111FPS/S
 ACCEL OF CANOPY WRT PLD IS 47.6458FPS/S
 CANOPY NORMAL ACC. IS 13.7209FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 395.317LBS

TIME (SECS)	VOL (CUFT)	RADIUS (FT)	HEIGHT (FT)	LENGTH (FT)
4.10000E-02	19.9129	1.29585	3.17383	29.2051
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
50.0064	183.583	-4.49456	0.691370	4.90619E-03

TIME RATE OF CHANGE OF VOLUME IS 392.139CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.52727FT/S
 TIME RATE OF CHANGE OF H IS 67.1337FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.3192FPS/S
 ACCEL OF CANOPY WRT PLD IS 53.6420FPS/S
 CANOPY NORMAL ACC. IS 12.3388FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 390.331LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
5.10000E-02	23.8495	1.32169	3.86228	29.1623
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0097	183.327	-3.98250	0.822314	7.13979E-03

TIME RATE OF CHANGE OF VOLUME IS 389.489CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.43277FT/S
 TIME RATE OF CHANGE OF H IS 64.2371FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.1769FPS/S
 ACCEL OF CANOPY WRT PLD IS 52.4640FPS/S
 CANOPY NORMAL ACC. IS 11.0085FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 389.269LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
6.10000E-02	27.7588	1.34653	4.52037	29.1249
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0145	183.075	-3.44765	0.939675	9.69320E-03

TIME RATE OF CHANGE OF VOLUME IS 387.047CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.34695FT/S
 TIME RATE OF CHANGE OF H IS 61.5851FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.2596FPS/S
 ACCEL OF CANOPY WRT PLD IS 48.2936FPS/S
 CANOPY NORMAL ACC. IS 9.72485FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 390.181LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
7.10000E-02	31.6425	1.37046	5.15061	29.0927
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0207	182.823	-2.94032	1.04395	1.25305E-02

TIME RATE OF CHANGE OF VOLUME IS 384.837CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.26833FT/S
 TIME RATE OF CHANGE OF H IS 59.1605FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.4541FPS/S
 ACCEL OF CANOPY WRT PLD IS 43.0858FPS/S
 CANOPY NORMAL ACC. IS 8.48377FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 392.082LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
8.10000E-02	35.5028	1.39357	5.75537	29.0654
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0287	182.570	-2.48043	1.13558	1.56191E-02

TIME RATE OF CHANGE OF VOLUME IS 383.043CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.20285FT/S
 TIME RATE OF CHANGE OF H IS 57.1556FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.6750FPS/S
 ACCEL OF CANOPY WRT PLD IS 38.2766FPS/S
 CANOPY NORMAL ACC. IS 7.40056FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 394.208LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
9.00000E-02	38.9591	1.41372	6.27968	29.0446

THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0374	182.340	-2.11197	1.20758	1.85896E-02

TIME RATE OF CHANGE OF VOLUME IS 381.249CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.13520FT/S
 TIME RATE OF CHANGE OF H IS 55.1055FT/S
 PAYLOAD TANGENTIAL ACC. IS -25.9419FPS/S
 ACCEL OF CANOPY WRT PLD IS 33.1880FPS/S
 CANOPY NORMAL ACC. IS 6.23221FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 396.776LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
1.00000E-01	42.7813	1.43544	6.84186	29.0251

THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0490	182.082	-1.75242	1.27629	2.20776E-02

TIME RATE OF CHANGE OF VOLUME IS 379.642CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.07231FT/S
 TIME RATE OF CHANGE OF H IS 53.2231FT/S
 PAYLOAD TANGENTIAL ACC. IS -26.2143FPS/S
 ACCEL OF CANOPY WRT PLD IS 28.5380FPS/S
 CANOPY NORMAL ACC. IS 5.09906FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 399.410LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.110000	46.5864	1.45651	7.38432	29.0090

THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0625	181.821	-1.44187	1.33349	2.57392E-02

TIME RATE OF CHANGE OF VOLUME IS 378.201CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 2.01362FT/S

TIME RATE OF CHANGE OF H IS 51.4902FT/S
 PAYLOAD TANGENTIAL ACC. IS -26.4815FPS/S
 ACCEL OF CANOPY WRT PLD IS 24.3893FPS/S
 CANOPY NORMAL ACC. IS 3.99957FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 402.019LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.120000	50.3762	1.47696	7.90863	28.9958
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0783	181.558	-1.17557	1.37950	2.95522E-02

TIME RATE OF CHANGE OF VOLUME IS 376.902CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 1.95871FT/S
 TIME RATE OF CHANGE OF H IS 49.8908FT/S
 PAYLOAD TANGENTIAL ACC. IS -26.7384FPS/S
 ACCEL OF CANOPY WRT PLD IS 20.7359FPS/S
 CANOPY NORMAL ACC. IS 2.93252FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 404.557LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.130000	54.1522	1.49685	8.41623	28.9851
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.0962	181.292	-0.948496	1.41467	3.34964E-02

TIME RATE OF CHANGE OF VOLUME IS 375.725CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 1.90717FT/S
 TIME RATE OF CHANGE OF H IS 48.4103FT/S
 PAYLOAD TANGENTIAL ACC. IS -26.9811FPS/S
 ACCEL OF CANOPY WRT PLD IS 17.5555FPS/S
 CANOPY NORMAL ACC. IS 1.89695FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 406.991LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.140000	57.9159	1.51620	8.90839	28.9765
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.1164	181.023	-0.755820	1.43931	3.75531E-02

TIME RATE OF CHANGE OF VOLUME IS 374.653CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 1.85870FT/S
 TIME RATE OF CHANGE OF H IS 47.0362FT/S
 PAYLOAD TANGENTIAL ACC. IS -27.2088FPS/S
 ACCEL OF CANOPY WRT PLD IS 14.7971FPS/S
 CANOPY NORMAL ACC. IS 0.892078FPS/S

RISER FORCE ACTING ON PAYLOAD IS 409.312LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.150000	61.6682	1.53505	9.38622	28.9697
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.1390	180.752	-0.593041	1.45373	4.17051E-02

TIME RATE OF CHANGE OF VOLUME IS 373.669CFS/S
TIME RATE OF CHANGE OF RADIUS IS 1.81300FT/S
TIME RATE OF CHANGE OF H IS 45.7572FT/S
PAYLOAD TANGENTIAL ACC. IS -27.4205FPS/S
ACCEL OF CANOPY WRT PLD IS 12.4195FPS/S
CANOPY NORMAL ACC. IS -8.27179E-02FPS/S
RISER FORCE ACTING ON PAYLOAD IS 411.510LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.160000	65.4102	1.55343	9.85075	28.9644
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.1640	180.479	-0.456084	1.45824	4.59368E-02

TIME RATE OF CHANGE OF VOLUME IS 372.760CFS/S
TIME RATE OF CHANGE OF RADIUS IS 1.76983FT/S
TIME RATE OF CHANGE OF H IS 44.5637FT/S
PAYLOAD TANGENTIAL ACC. IS -27.6166FPS/S
ACCEL OF CANOPY WRT PLD IS 10.37396FPS/S
CANOPY NORMAL ACC. IS -1.02798FPS/S
RISER FORCE ACTING ON PAYLOAD IS 413.589LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.170000	69.1428	1.57137	10.30289	28.9603
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.1914	180.204	-0.341355	1.45314	5.02336E-02

TIME RATE OF CHANGE OF VOLUME IS 371.914CFS/S
TIME RATE OF CHANGE OF RADIUS IS 1.72896FT/S
TIME RATE OF CHANGE OF H IS 43.4470FT/S
PAYLOAD TANGENTIAL ACC. IS -27.7969FPS/S
ACCEL OF CANOPY WRT PLD IS 8.62326FPS/S
CANOPY NORMAL ACC. IS -1.94417FPS/S
RISER FORCE ACTING ON PAYLOAD IS 415.545LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.180000	72.8665	1.58888	10.7434	28.9574

THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.2213	179.927	-0.245714	1.43871	5.45820E-02

TIME RATE OF CHANGE OF VOLUME IS 371.122CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 1.69022FT/S
 TIME RATE OF CHANGE OF H IS 42.3995FT/S
 PAYLOAD TANGENTIAL ACC. IS -27.9618FPS/S
 ACCEL OF CANOPY WRT PLD IS 7.13040FPS/S
 CANOPY NORMAL ACC. IS -2.83169FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 417.381LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.190000	76.5821	1.60599	11.1731	28.9553
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.2537	179.648	-0.166398	1.41525	5.89698E-02

TIME RATE OF CHANGE OF VOLUME IS 370.373CFS/S
 TIME RATE OF CHANGE OF RADIUS IS 1.65342FT/S
 TIME RATE OF CHANGE OF H IS 41.4146FT/S
 PAYLOAD TANGENTIAL ACC. IS -28.1125FPS/S
 ACCEL OF CANOPY WRT PLD IS 5.85687FPS/S
 CANOPY NORMAL ACC. IS -3.69090FPS/S
 RISER FORCE ACTING ON PAYLOAD IS 419.106LBS

TIME (SECS)	VOL(CUFT)	RADIUS(FT)	HEIGHT(FT)	LENGTH(FT)
0.200000	80.2899	1.62273	11.5927	28.9539
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.2887	179.368	-1.01000E-01	1.38305	6.33854E-02

END OF FIRST FILLING PHASE

PARACHUTE DYNAMICS DURING SECOND FILLING PHASE

ITERATION SEQUENCE FOR RW BETWEEN PHASES I AND II

FINAL PHASE I RW EQUALS -9.51428E-02FPS

INITIAL PHASE II RW EQUALS -0.129291FPS

TIME (SECS)	BETA(DEG)	VOL(CUFT)	RADIUS(FT)	FORCE(LBS)
0.251000	2.38648	86.9940	1.68810	486.851
THETA(DEG)	VLT(FPS)	RW(FPS)	VCN (FPS)	OMEGA(RAD/SEC)
50.5067	177.710	0.890433	1.08485	8.61435E-02

TIME (SECS)	BETA(DEG)	VOL(CUFT)	RADIUS(FT)	FORCE(LBS)
0.302000	2.50958	95.7100	1.77206	550.802

THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
50.7894	175.723	1.55725 0.624452	0.107459	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.351999	2.66439	107.260 1.87782	629.700	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
51.1238	173.383	2.15085 6.96175E-02	0.125828	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.401998	2.86154	122.839 2.01220	729.786	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
51.5060	170.548	2.80460 -0.524261	0.140606	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.451998	3.11067	143.852 2.18129	855.361	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
51.9244	167.084	3.55711 -1.09000	0.150909	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.501997	3.42306	172.196 2.39203	1009.81	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
52.3655	162.835	4.40571 -1.56644	0.156301	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.551996	3.81237	210.422 2.65241	1194.91	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
52.8153	157.629	5.31289 -1.91017	0.157011	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.601996	4.29595	261.971 2.97193	1409.94	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
53.2616	151.293	6.20537 -2.10428	0.153996	
TIME (SECS)	BETA (DEG)	VOL (CUFT)	RADIUS (FT)	FORCE (LBS)
0.651995	4.89744	331.512 3.36247	1650.95	
THETA (DEG)	VLT (FPS)	RW (FPS)	VCN (FPS)	OMEGA (RAD/SEC)
53.6957	143.667	6.97251 -2.15939	0.148757	

TIME (SECS)	BETA (DEG)	VOL (CUFT)		RADIUS (FT)	FORCE (LBS)
0.701995	5.65181	425.468	3.84009	1910.76	
THETA (DEG)	VLT (FPS)	RW (FPS)		VCN (FPS)	OMEGA (RAD/SEC)
54.1137	134.622	7.47378	-2.10603	0.142974	

TIME (SECS)	BETA (DEG)	VOL (CUFT)		RADIUS (FT)	FORCE (LBS)
0.751994	6.61641	552.986	4.42906	2180.92	
THETA (DEG)	VLT (FPS)	RW (FPS)		VCN (FPS)	OMEGA (RAD/SEC)
54.5161	124.076	7.55701	-1.98182	0.138108	

TIME (SECS)	BETA (DEG)	VOL (CUFT)		RADIUS (FT)	FORCE (LBS)
0.801993	7.89872	728.038	5.17214	2458.30	
THETA (DEG)	VLT (FPS)	RW (FPS)		VCN (FPS)	OMEGA (RAD/SEC)
54.9071	111.987	7.08338	-1.81905	0.135155	

TIME (SECS)	BETA (DEG)	VOL (CUFT)		RADIUS (FT)	FORCE (LBS)
0.851993	9.75002	975.311	6.16577	2770.45	
THETA (DEG)	VLT (FPS)	RW (FPS)		VCN (FPS)	OMEGA (RAD/SEC)
55.2928	98.2653	5.93602	-1.63515	0.134553	

TIME (SECS)	BETA (DEG)	VOL (CUFT)		RADIUS (FT)	FORCE (LBS)
0.901992	12.2019	1262.00	7.35082	2826.11	
THETA (DEG)	VLT (FPS)	RW (FPS)		VCN (FPS)	OMEGA (RAD/SEC)
55.6820	83.0413	0.275904	-1.51679	0.139136	

END OF SECOND FILLING PHASE

BEGINNING OF TRANSITION PHASE

STEADY STATE CANOPY VOLUME EQUALS 1292.47CU FT
 STEADY STATE CANOPY RADIUS EQUALS 7.48724FT
 HST EQUALS 0.829277FT. AND BETAST EQUALS 0.218339RADS

FINAL PHASE II RW EQUALS -1.55267FPS
 INITIAL VALUE FOR RW FOR TRANS. PHASE EQ 3.33678FPS

TIME (SECS)	BETA (DEG)	FORCE (LBS)		VLT (FPS)	LENGTH (FT)
1.01099	13.0902	976.350	55.4796	31.4806	
THETA (DEG)	RW (FPS)	VCN (FPS)		OMEGA (RD/SEC)	
56.6914	-23.5077	-2.10969	0.190587		

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.11000	14.0052	122.299	48.9713	29.4611
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
57.9422	-15.8475	-2.82439	0.250439	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.21000	14.4675	42.6589	47.8726	28.5388
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
59.5186	-3.76408	-3.52420	0.296657	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.31001	14.4890	217.216	46.0274	28.4974
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
61.3012	1.73288	-4.12543	0.323326	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.41001	14.3900	321.982	42.8341	28.6893
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
63.2045	1.66064	-4.64702	0.340446	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.51001	14.3461	314.612	39.6048	28.7752
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
65.1974	0.121788	-5.12113	0.355167	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.61002	14.3632	268.510	37.1501	28.7417
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
67.2703	-0.638844	-5.55814	0.368046	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.71002	14.3948	237.452	35.4439	28.6800
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
69.4071	-0.543065	-5.95372	0.377165	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.81003	14.4137	228.468	34.1564	28.6432
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
71.5823	-0.220812	-6.30131	0.381293	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
1.91003	14.4195	228.304	33.0598	28.6317
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
73.7668	-4.75531E-02	-6.59731	0.380441	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
2.01004	14.4212	226.931	32.0906	28.6286
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
75.9335	-3.62383E-02	-6.84028	0.375116	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
2.11003	14.4239	222.614	31.2553	28.6233
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
78.0580	-7.37384E-02	-7.02922	0.365730	

BREAK IN PRINTOUT HERE TO SAVE SPACE

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
2.91097	14.4518	193.173	27.8949	28.5692
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
91.1987	-5.22438E-02	-6.55442	0.181046	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.01096	14.4543	190.705	27.7164	28.5644
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
92.1497	-4.64431E-02	-6.26577	0.150566	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.11096	14.4564	188.582	27.5726	28.5602
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
92.9256	-4.02695E-02	-5.93584	0.119985	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.21095	14.4583	186.808	27.4599	28.5566
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
93.5271	-3.38517E-02	-5.56892	8.97552E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.31094	14.4598	185.387	27.3752	28.5537
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
93.9573	-2.72760E-02	-5.16971	6.03079E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.41094	14.4610	184.320	27.3150	28.5513
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
94.2220	-2.07229E-02	-4.74327	3.20465E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.51093	14.4619	183.587	27.2762	28.5496
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
94.3291	-1.44942E-02	-4.29498	5.34339E-03	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.61092	14.4625	183.153	27.2552	28.5485
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
94.2884	-8.89619E-03	-3.83049	-1.94656E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.71091	14.4628	182.989	27.2486	28.5479
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
94.1116	-4.01141E-03	-3.35568	-4.20845E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.81091	14.4629	183.026	27.2532	28.5477
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
93.8120	-8.20918E-05	-2.87656	-6.22611E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
3.91090	14.4628	183.219	27.2657	28.5479
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
93.4043	2.92303E-03	-2.39922	-7.97895E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.01089	14.4627	183.474	27.2831	28.5482

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
92.9040	4.92302E-03	-1.92973	-9.45134E-02

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.11088	14.4623	183.860	27.3025	28.5488

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
92.3277	5.84737E-03	-1.47400	-0.106327

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.21088	14.4620	184.205	27.3214	28.5495

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
91.6919	5.22327E-03	-1.03772	-0.115176

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.31087	14.4618	184.417	27.3387	28.5499

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
91.0139	5.14782E-03	-0.626208	-0.121060

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.41086	14.4616	184.654	27.3526	28.5503

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
90.3105	4.81418E-03	-0.244295	-0.124025

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.51086	14.4614	184.813	27.3620	28.5506

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
89.5982	4.09617E-03	1.03768E-01	-0.124171

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.61085	14.4612	184.918	27.3660	28.5510

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
88.8926	1.88966E-03	0.414419	-0.121641

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.71084	14.4612	184.835	27.3649	28.5510

THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)
88.2088	-7.62786E-04	0.684843	-0.116623

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.81083	14.4613	184.645	27.3594	28.5508
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
87.5602	-2.82502E-03	0.913006	-0.109339	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
4.91083	14.4615	184.424	27.3504	28.5504
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
86.9592	-3.85151E-03	1.09768	-1.00042E-01	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.01082	14.4617	184.164	27.3382	28.5501
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
86.4165	-5.31595E-03	1.23846	-8.90130E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.11081	14.4620	183.792	27.3246	28.5494
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
85.9412	-5.45431E-03	1.33571	-7.65486E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.21080	14.4623	183.539	27.3102	28.5489
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
85.5407	-5.11840E-03	1.39052	-6.29591E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.31080	14.4626	183.222	27.2959	28.5484
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
85.2205	-5.00715E-03	1.40468	-4.85611E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.41079	14.4628	182.973	27.2826	28.5479
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
84.9844	-5.01031E-03	1.38058	-3.36704E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.51078	14.4630	182.775	27.2709	28.5476
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
84.8342	-5.08950E-03	1.32112	-1.85966E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.61078	14.4632	182.611	27.2619	28.5472
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
84.7702	-4.51721E-03	1.22970	-3.63787E-03	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.71077	14.4633	182.489	27.2561	28.5469
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
84.7909	-2.80738E-03	1.11005	1.09237E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.81076	14.4634	182.502	27.2535	28.5468
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
84.8933	-3.17685E-04	0.966224	2.48261E-02	

TIME (SECS)	BETA (DEG)	FORCE (LBS)	VLT (FPS)	LENGTH (FT)
5.91075	14.4634	182.561	27.2533	28.5468
THETA (DEG)	RW (FPS)	VCN (FPS)	OMEGA (RD/SEC)	
85.0729	1.33544E-03	0.802478	3.78316E-02	